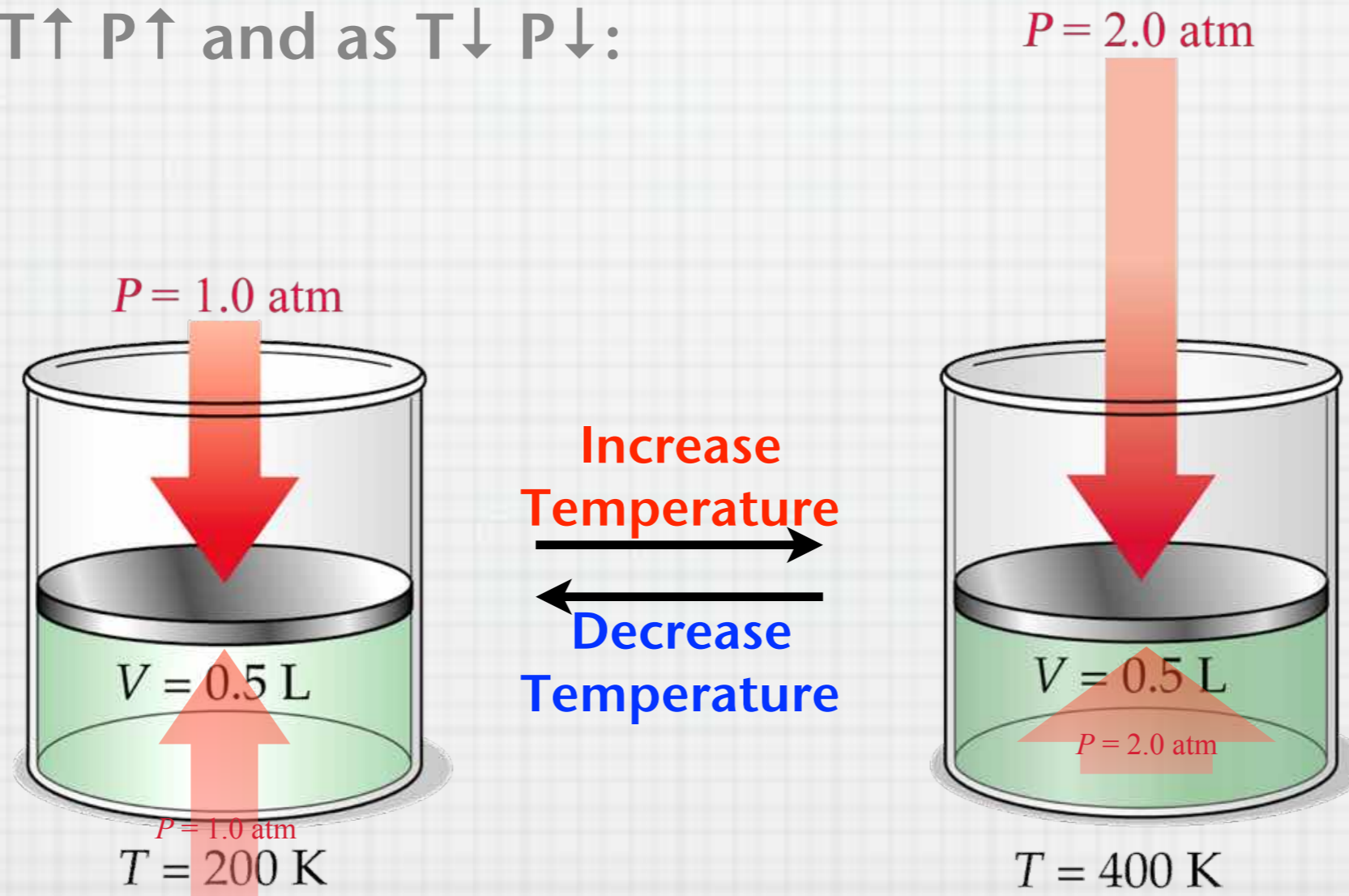


Gay-Lussac's Law & Combined Gas Law

Chemistry 1

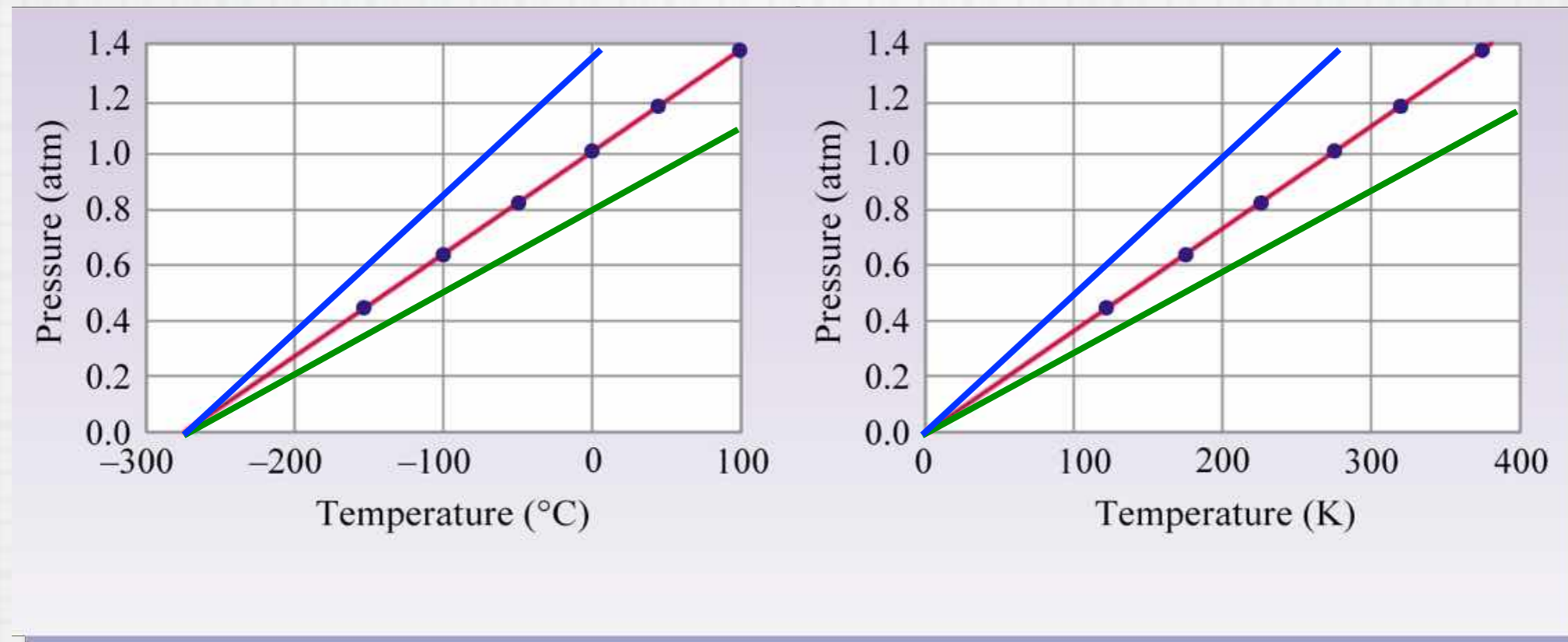
Gay-Lussac's Law

- * Changes in P & T (V & n held constant)
- * From KMT: As $T \uparrow$, speed of particles \uparrow , so the the number of collisions \uparrow and force (energy) of each collision \uparrow ,
- * Since $P = \frac{\text{Force}}{\text{Area}}$, $P \uparrow$ as V (area) remains constant
- * As $T \uparrow P \uparrow$ and as $T \downarrow P \downarrow$:



Graphing P vs. T

- * Gay-Lussac realized that Pressure / Temperature = constant
- * Since $P/T = \text{constant}$, P & T are **directly related**: $P = kT$
- * Plot of P vs. T gives straight line



- * As with Charles' Law, all gases extrapolate to $P=0$ at -273°C
- * At absolute 0, particles have no energy, all motion stops
- * Again, Kelvin (absolute temperature) used in gas problems

Gay-Lussac's Law Calculations

- * If P or T change, still equal same constant, so $\frac{P_1}{T_1} = \frac{P_2}{T_2}$
- * P-T problem: A gas sample initially has a pressure of 125.0 kPa at 25°C. At what Celsius temperature is the pressure 101.3 kPa?
- * Don't forget to convert T to Kelvin: $T_1 = 25^\circ\text{C} + 273 = 298 \text{ K}$

$$P_1 = 125.0 \text{ kPa}; P_2 = 101.3 \text{ kPa}; T_2 = ?$$

$$\frac{P_1}{T_1} = \frac{P_2}{T_2} \text{ so } \frac{125.0 \text{ kPa}}{298 \text{ K}} = \frac{101.3 \text{ kPa}}{T_2}; \text{ cross-multiply and divide:}$$

$$125.0 \text{ kPa} \times T_2 = 101.3 \text{ kPa} \times 298 \text{ K}$$

$$T_2 = \frac{298 \text{ K} \times 101.3 \text{ kPa}}{125.0 \text{ kPa}} = 241 \text{ K}$$

$$\text{so } T_2 = 241 \text{ K} - 273 = \boxed{-32^\circ\text{C}}; \text{ note that } P \downarrow \text{ when } T \downarrow$$

Combined Gas Law

- * Combination of Boyle's, Charles', and Gay-Lussac's Laws

- * $\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$: Changes in P, V, T keeping n constant

- * Hold one variable constant to get the previous 3 laws

Combined Gas Law

- * Combination of Boyle's, Charles', and Gay-Lussac's Laws

- * $\frac{P_1 V_1}{\text{red circle}} = \frac{P_2 V_2}{\text{red circle}}$: Changes in P, V, T keeping n constant

- * Hold one variable constant to get the previous 3 laws

Boyle's Law

Combined Gas Law

- * Combination of Boyle's, Charles', and Gay-Lussac's Laws

- * $\frac{V_1}{T_1} = \frac{V_2}{T_2}$: Changes in P, V, T keeping n constant

- * Hold one variable constant to get the previous 3 laws

Charles' Law

Combined Gas Law

- * Combination of Boyle's, Charles', and Gay-Lussac's Laws

- * $\frac{P_1 \bullet}{T_1} = \frac{P_2 \bullet}{T_2}$: Changes in P, V, T keeping n constant

- * Hold one variable constant to get the previous 3 laws

Gay-Lussac's Law

Combined Gas Law

- * Combination of Boyle's, Charles', and Gay-Lussac's Laws

- * $\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$: Changes in P, V, T keeping n constant

- * Hold one variable constant to get the previous 3 laws

- * Given P, V, T, change any two & can find the third

- * Given a gas with $P_1=0.75$ atm, $V_1=0.30$ L, $T_1=150$ K; $P_2=0.95$ atm, $T_2=300$ K, what is V_2 ?

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2} \Rightarrow \frac{(0.75 \text{ atm})(0.30 \text{ L})}{150 \text{ K}} = \frac{(0.95 \text{ atm})V_2}{300 \text{ K}}$$

- * Cross multiply and divide:

$$V_2 = \frac{(0.75 \text{ atm})(0.30 \text{ L})(300 \text{ K})}{(0.95 \text{ atm})(150 \text{ K})} = \boxed{0.47 \text{ L}}$$